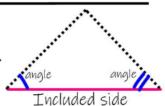
Good morning! 1 Fire!

- 1. First and Last name as participant.
- 2. Type "here" for attendance.
- 3. Quiz on Thursday. Test is on Tuesday next week (after Labor Day).
- 4. Continue Notes and practice for Congruent Triangles.

Vocabulary to help us with our next postulate:

The side length that is between two angles is called the included side.

Postulate #3



Angle Side Angle (ASA)-If two angles and the included side of one triangle are congruent to two angles and the included side of another triangle, then the two triangles are congruent.

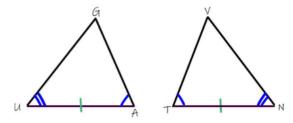
8. Example:

From the diagram we see: $\angle \mathcal{U} \cong \angle N$ and

 $\angle A \cong \angle T$ and the included sides $UA \cong NT$

Therefore... AUGA = ANVT by ASA

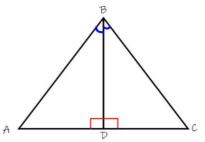




9. Lets Take a Look;

From the diagram, we know that

But that's only two angles. We the included sides to be congruent for ASA.



Remember, we **MUST** have a property or justification to add anything to our diagram...Do you see anything we are allowed to mark?



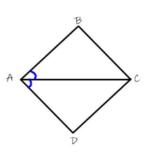
10. Another Property we might see dealing with angles:

Given: AC is an angle bisector for LBCD.

Can you prove the two triangles are congruent? We know....

 $\angle BAC \cong \angle$ from the diagram, and by the reflexive Property.



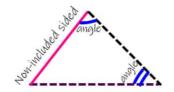


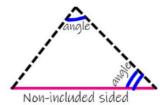
Therefore,

Vocabulary for our next postulate:

A side length that is not directly in between to angles is called a **non-included** side.

Theorem #4





Angle Angle Side (AAS): If two angles and a non-

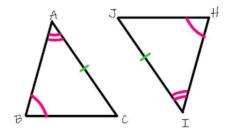
included side of one triangle are congruent the two angles and the corresponding non-included side of another triangle, the two triangles are congruent.

Example:

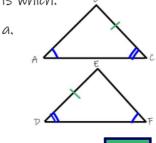
11. From the diagram we see: $\angle A\cong \angle I$ and $\angle B\cong \angle H$ and the corresponding non-included sides

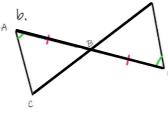
 $\overline{AC} \cong \overline{IJ}$ Therefore... $\triangle ABC \cong \triangle IHJ$ by

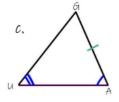


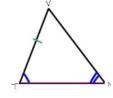


12. Two of the examples below are examples of AAS, one is an example of ASA. Decide which is which.









△ABC≅ by



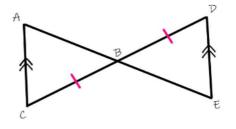


13. Another property we may see with angles...

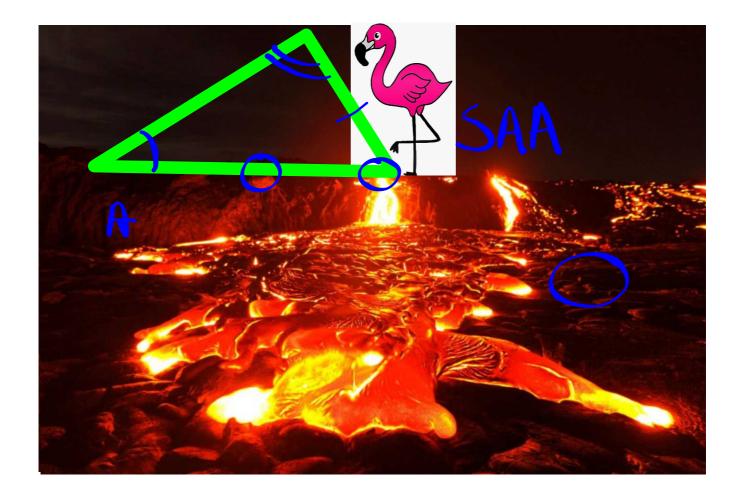
Given: $\overline{AC} \mid \mid \overline{DE} \mid$, prove the two triangles congruent.

We know.... $\overline{CB} \cong \overline{DB}$ from the diagram, and because they are vertical angles.

Since AC || DE, what kind of angles are ZA and ZE?

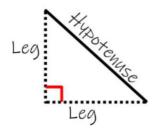


Therefore, $\angle A \cong \angle \square$ and that means that $\triangle ABC \cong \triangle$ by $\square \angle C$ and $\angle D$ are also so there is more than one correct way to do this one.



Recall: Right Triangles

In a Right triangle, the side lengths that form the right angle are called the opposite the right angle is called the

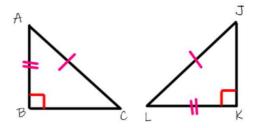


- Right triangles have many special properties! We have a triangle congruence theorem that works ONLY for right triangles!
- All our other postulates and theorems work for right triangles too! Right triangles
 just have an extra on that is special just for them.

Hypotenuse Leg(HL): If the hypotenuse and one leg in a right triangle are congruent to the hypotenuse and one leg of another right triangle, the two triangles are congruent.

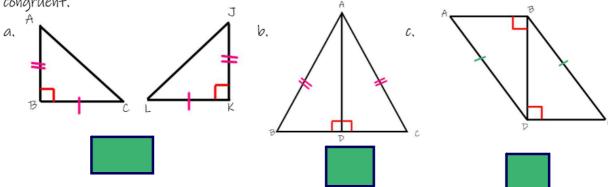
Example:

14. From the diagram we see: $\angle B$ and $\angle K$ are both right angles, making these right triangles. $\overline{AB}\cong \overline{LK}$. These are of the right triangles. $\overline{AC}\cong \overline{LK}$ These segments are the of the right triangles.



Therefore... $\triangle ABC \cong \triangle LKJ$ by \boxed{HL}

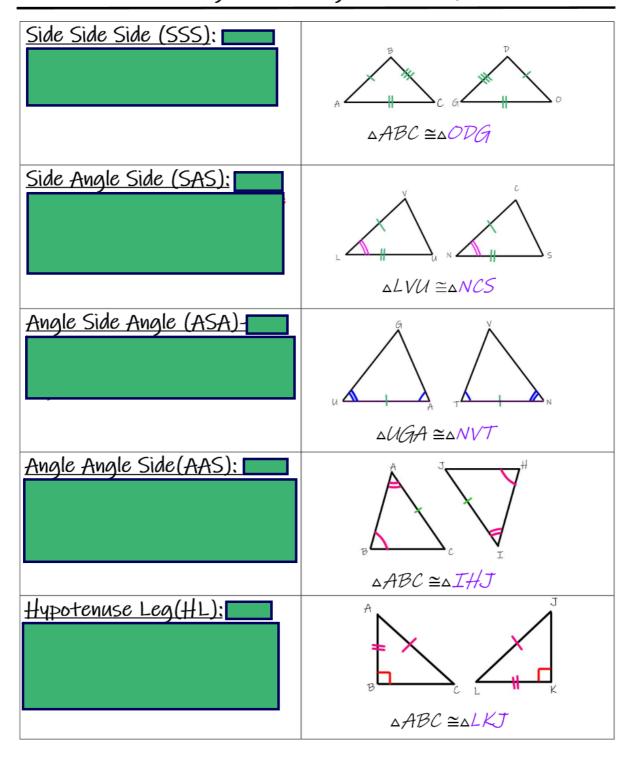
15. You Try! Determine which postulate or theorem you can use to prove the triangles congruent.



d. True or False: HL is the only method to prove that two right triangles are congruent.

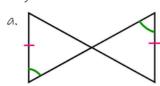


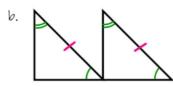
Congruent Triangles Summary

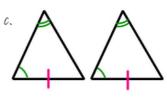


ASA, AAS, and HL Congruence Practice

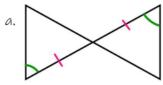
1. Determine which of the following is NOT an example of AAS congruence, then state which type of congruence it is.

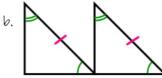


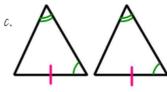




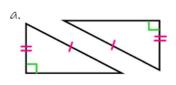
2. Determine which of the following is NOT an example of ASA Congruence, then state which type it is.



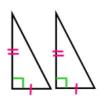




3. Determine which of the following is NOT an example of HL, then state which type it is.

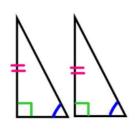




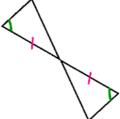


4. Watch each triangle to the correct postulate/theorem. There will be one of each of the following: ASA, AAS, HL.

a.



b.

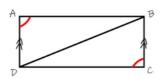


С.



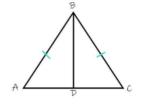
a mro-geo to 81010 miss 5. Given the information, determine which postulate you can use to prove the triangles congruent.

a. AD || BC



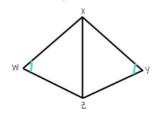
ΔABD≅Δ_____ by ____

b. $\overline{BD} \perp \overline{AC}$; D is the midpoint of \overline{AC}



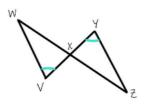
Δ*ADB* ≅Δ_____ by ____

c. XZ is bisecting ZWXY



ΔWXZ ≅Δ_____ by ____

d. X is the midpoint of \overline{W}



ΔWW ≅Δ_____ by ____

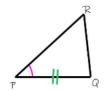
Challenge Section, TEST PREP:

5. What additional information is needed to prove....

a. △ABC ≃△QPR by ASA?

If _____ is congruent to _____ then that would meet the criteria for ASA.





b. ABC ZAQPR AAS?

If ______ is congruent to _____ then that would meet the criteria for AAS.



