

Name: _____ Date: _____

Use the Counting Principle to answer the questions below.

20 **Multiplication!!!**

1. You have four shirts: plaid, striped, blue, and Hawaiian print. You have five pair of pants: red, black, green, jeans, and khaki. Use a tree diagram to determine how many ways you could make an outfit, consisting of pants and a shirt.

$$(4) (5) = 20 \text{ ways}$$

shirt pants

100,000
ways

2. You want to set a 6-digit passcode on your cell phone. How many different ways could you choose your passcode if the first number has to be your favorite number 8?

$$(1) (10) (10) (10) (10) (10) = 100,000 \text{ ways}$$

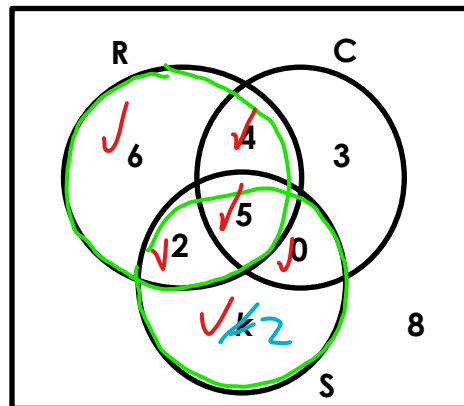
120
ways

3. Four football players lining up to grab helmets before practice. If there are five helmets to choose, how many ways could the players choose helmets?

$$(5) (4) (3) (2) = 120 \text{ ways}$$

The Venn Diagram below shows the results of a survey done by a teacher about the types of music listened to by 30 students. The survey was only related to rap (R), country (C), and soundtrack (S).

- 2 4. What is the value of k?



30 students
 6
 3
 4
 5
 2
 0
 8
 2

If a randomly selected student is asked their preference, what is the probability that the member listens to:

$$3/30 = 1/10$$

5. Only country?

$$9/30 = 3/10$$

6. Rap \cap country?

$$8/30 = 4/15$$

7. None of these genres?

$$22/30 = 11/15$$

8. At least one of these genres?

$$5/30 = 1/6$$

9. All of the genres?

$$0/30 = 0$$

10. Soundtrack and country, but not rap?

$$19/30 = 19/30$$

11. Rap \cup soundtrack?

$$P(A) + P(B) - P(A \cap B)$$

$$30 - 8 = 22$$

$$6 + 4 + 5 + 2 + 6 + 2$$

Use the data below to find each of the following probabilities of choosing a vehicle.

| Color | Type of Vehicle | | | Total |
|--------|-----------------|-----|-------|-------|
| | Sedan | Van | Truck | |
| Red | 8 | 0 | 11 | 19 |
| Silver | 10 | 14 | 10 | 34 |
| Black | 7 | 3 | 10 | 20 |
| White | 13 | 6 | 9 | 28 |
| | 38 | 23 | 40 | 101 |

12. $P(\text{Van}) = \frac{23}{101} = .2277$

13. $P(\text{Van})' = \frac{78}{101} = .7722$

14. $P(\text{Black} \cap \text{Truck}) = \frac{10}{101} = .0990$

15. $P(\text{Red} \cup \text{Sedan}) = \frac{49}{101} = .4851$

$P(A) + P(B) - P(A \cap B) = 19 + 38 - 8 = 49$

On the gameshow "Let's Make a Deal" contestants can either choose to stay with their first choice of an unopened door to a prize or switch to the second choice of an unopened door to a prize. A survey of 50 events are shown in the table below.

| | Switch | Stay | Total |
|-------|--------|------|-------|
| Goat | 8 ✓ | 12 | 20 |
| Car | 17 ✓ | 13 ✓ | 30 |
| Total | 25 | 25 | 50 |

16. What is the probability that a person wins the car if they switched doors?

$\frac{17}{25}$

17. What is the probability that a person wins the car if they "stay" with their first choice?

$\frac{13}{25}$

18. Based upon your findings, are you more likely to win if you switch to the other unopened door?

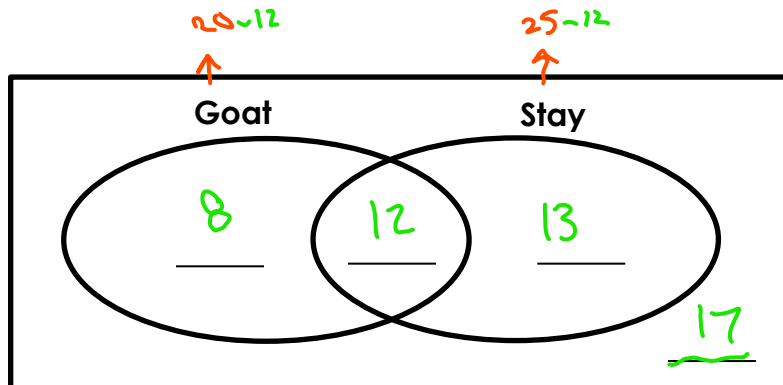
Switching makes you more likely to win car because $\frac{17}{25} > \frac{13}{25}$

19. Are the events win a car and switch to the other unopened door mutually exclusive?

(no overlap)

not mutually exclusive, because they overlap! 17 ppl who switch also win a car.

20. Complete the Venn Diagram that models the information taken from the table above.



50
- 8
- 12
- 13

17

conditional
Probability
→ Given...
→ If...
→ of...
Denominator